Lecture 1: Introduction

"Who am I? Why am I here?"



M375T/M396C: Topics in Complex Networks January 15, 2013

- The basics
 - ► Instructor: Ravi Srinivasan (<u>rav@math.utexas.edu</u>)
 - ► Course website: http://www.ma.utexas.edu/users/rav/ComplexNetworks/
 - All materials, including syllabus, solutions, etc. available through website

• We'll talk more about the course structure later

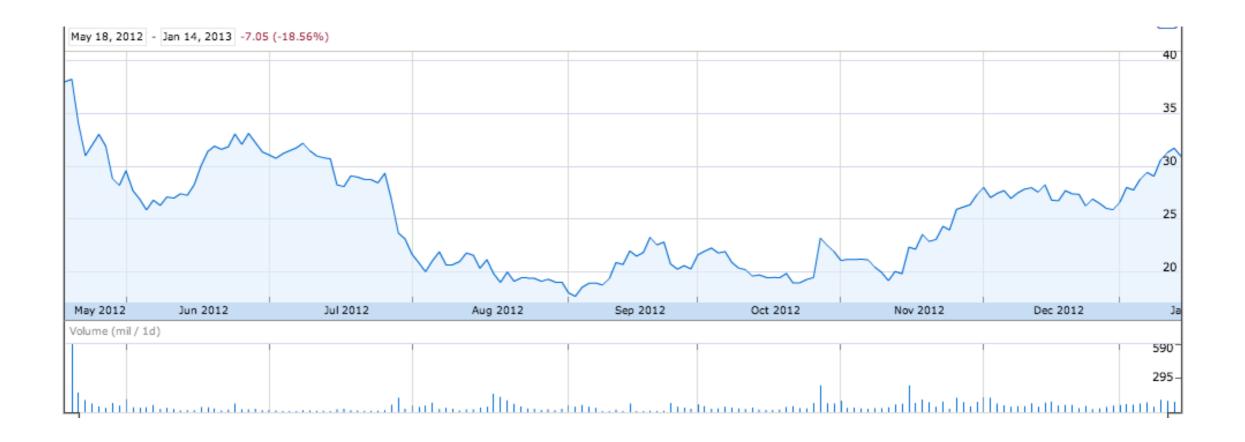
- What is this course about?
- Why should I care?
- What kind of work is involved?
- Should I take this course?

What is this course about?

- Complex networks
 - "complex" ~ "social" (but could also be biological, physical, ...)

- Conceptual, analytical
 - Connected to real-world questions
 - Interesting mathematics
 - Mix of rigor (proofs) and heuristics (simulations, scaling arguments)

- What is this course about?
- Why should I care?
- What kind of work is involved?
- Should I take this course?



How is this going to turn out?

#Coincidence

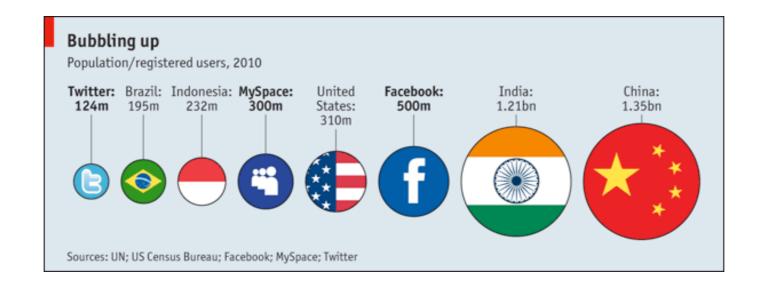


- Dawn of age of social computing
 - Can be used to solve large, macroeconomic problems
 - Energy efficiency, transportation, social mobility/inequality, decision-making,
 selling you stuff

- Availability of (too much?) data
 - ▶ How many here have a Facebook account they check regularly?
 - ▶ 40% increase in data per year, doubling every ~2 years (72 hours of video uploaded on YouTube every minute)

- Personal information about users
 - Online history (browsing, purchasing), sociological profile (age, gender, location, income)

- Relational information between users
 - ▶ Connections (friends, collaborators), contacts (e-mails, IMs, phone calls)



- What is this course about?
- Why should I care?
- What kind of work is involved?
- Should I take this course?

 $\begin{aligned} & f(x)dx \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \sum_{j=1}^{n} a_{j}u_{j}(x) \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \sum_{j=1}^{n} a_{j}u_{j}(x) \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum_{j=1}^{n} a_{j}u_{j}(x)\right)' = \int_{0}^{1} \frac{1}{x^{n}} \\ & f(x), & \left(\sum$

More this...



than this...

```
f(x)dx = \int_{S^{2}} a_{j}u_{j}(x) = \int_{S^{2
```

More this...

```
public void init()

pictures new Image[10];

pictures[a] getImage

for (int a 0; a getImage

getCodeBase(), new Init

getCodeBase(), new Init

getCodeBase(); new Init

for (timer = null)

for (timer = null)

if (timer = new Thread(

timer start();

}

public void paint(Graph

timer.start();

}

public void paint(Graph

for (count = new Taste)

j
```

and this...

- No exams
- 50% problem sets
 - Weekly or bi-weekly
 - Learn together, but solutions are your own
- 20% scribing lectures (in pairs)
 - Using LaTeX template, scribed notes to be posted online
- 30% final project (in at most pairs)
 - Summary of research article(s) on chosen topic

Programming

- ▶ Would like to incorporate some programming into HW, projects
- Are you comfortable writing code? Python?

Grading

▶ Rule of thumb: hard problems, generous grading

- What is this course about?
- Why should I care?
- What kind of work is involved?
- Should I take this course?

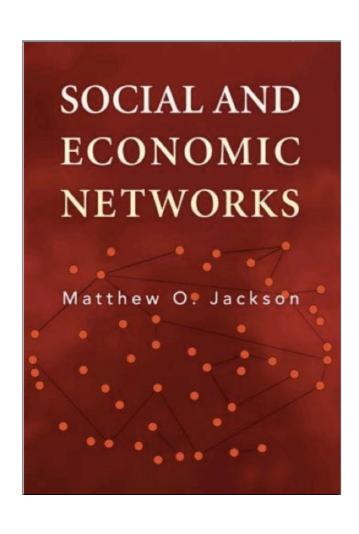
Should I take this course?

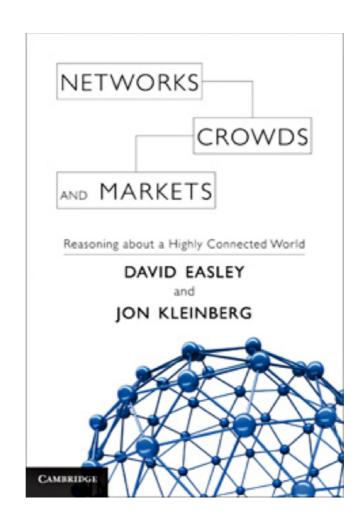
- New, experimental course
 - > Should be taken for enjoyment, but will take some time and effort
 - Stick around for two weeks and see how it feels

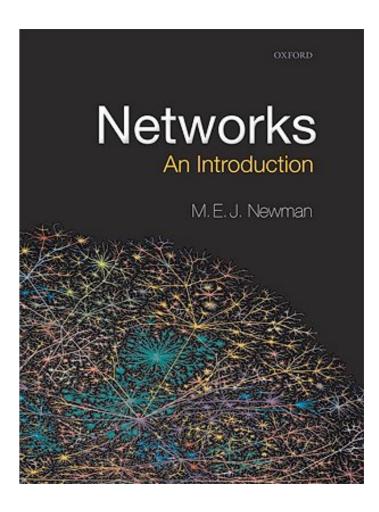
- Necessary mix of skills
 - ▶ Comfortable with probability, linear algebra
 - ▶ Can tolerate sophisticated arguments, consider implications
 - Dealing with contradictions: How can two models predict different results?

Should I take this course?

- No textbook!
 - ▶ No single source to learn material: requires discipline/self-motivation







- Not a programming class, or solely based on algorithms
- Not a course on game theory or machine learning
 - ▶ Little time/energy to spend on these important topics, but may touch upon them tangentially
- A math course, at the end of the day
 - "Worst" case: will learn some useful results in probability, linear algebra, and graph theory

Topics (not) to be covered

Part I: Structure

- ▶ small-world, random graphs, connectedness, routing, ...
- power laws, reinforcement, PageRank/HITS
- clustering, communities, partitioning
- evolving networks, prediction

Part II: Dynamics

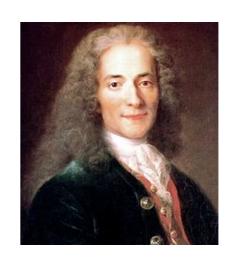
- epidemics, gossip algorithms
- influence, greedy algorithms
- ▶ inference
- Part III: ?

Disclaimer

"The secret to creativity is knowing how to hide your sources." -A. Einstein

"Originality is nothing but judicious imitation." -Voltaire

"Let's make my life easier." -Me





- Material gleaned from similar courses taught by others
 - ▶ Particularly "COMS 4995-I: Introduction to Social Networks" by Prof. Augustin Chaintreau, CS Department at Columbia University
 - Full list of references and resources to be made available on class website

Disclaimer



- Class website will improve in content over the coming week(s)
- Choice of topics likely to change depending on difficulty, pace

Let's get started!